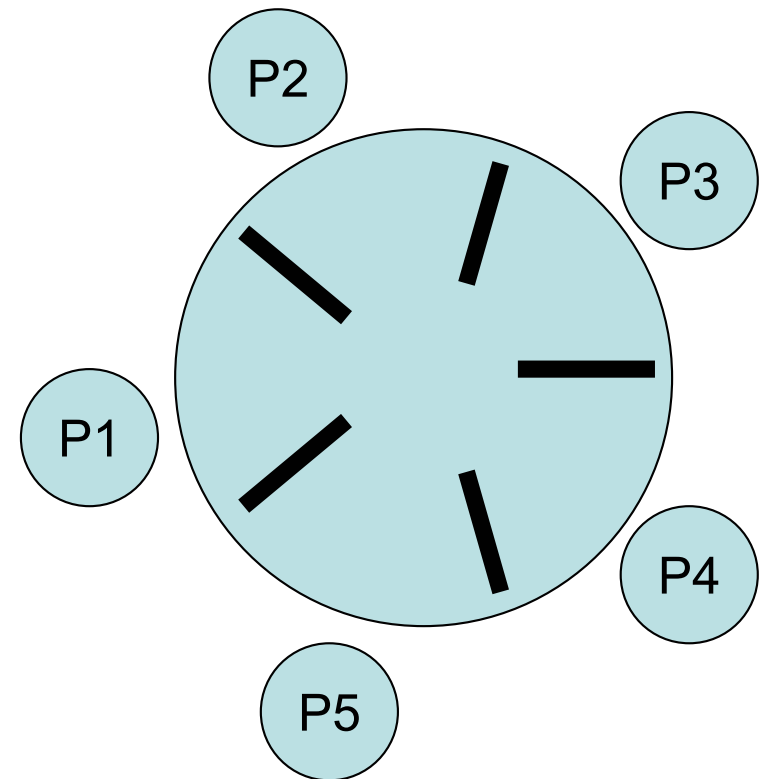


# Dining Philosophers Problem

- $N$  philosophers seated around a circular table
  - There is one chopstick between each philosopher
  - A philosopher must pick up its two nearest chopsticks in order to eat
  - A philosopher must pick up first one chopstick, then the second one, not both at once
- Devise an algorithm for allocating these limited resources (chopsticks) among several processes (philosophers) in a manner that is
  - deadlock-free, and
  - starvation-free



# Dining Philosophers Problem

- A simple algorithm for protecting access to chopsticks:
  - each chopstick is governed by a mutual exclusion semaphore that prevents any other philosopher from picking up the chopstick when it is already in use by another philosopher

```
semaphore chopstick[5]; // initialized to 1
```

- Each philosopher grabs a chopstick  $i$  by  $P(\text{chopstick}[i])$
- Each philosopher releases a chopstick  $i$  by  $V(\text{chopstick}[i])$

# Dining Philosophers Problem

- Pseudo code for Philosopher i:

```
while(1) {  
    // obtain the two chopsticks to my immediate right and left  
    P(chopstick[i]);  
    P(chopstick[(i+1)%N]);  
  
    // eat  
  
    // release both chopsticks  
    V(chopstick[(i+1)%N]);  
    V(chopstick[i]);  
}
```

- Guarantees that no two neighbors eat simultaneously, i.e. a chopstick can only be used by one its two neighboring philosophers

# Dining Philosophers Problem

- Unfortunately, the previous “solution” can result in deadlock
  - each philosopher grabs its right chopstick first
    - causes each semaphore’s value to decrement to 0
  - each philosopher then tries to grab its left chopstick
    - each semaphore’s value is already 0, so each process will block on the left chopstick’s semaphore
  - These processes will never be able to resume by themselves - we have deadlock!

# Dining Philosophers Problem

- Some deadlock-free solutions:
  - allow at most 4 philosophers at the same table when there are 5 resources
  - odd philosophers pick first left then right, while even philosophers pick first right then left
  - allow a philosopher to pick up chopsticks only if both are free. This requires protection of critical sections to test if both chopsticks are free before grabbing them.
    - we'll see this solution next using monitors
- A deadlock-free solution is not necessarily starvation-free
  - for now, we'll focus on breaking deadlock

# **Solution 1** (*give a number to forks and always try with the smaller*)

**Array [1..5] of semaphores: fork = [1, 1, 1, 1, 1];**

**Philosopher i:**

**Repeat**

*think;*

**if (i < 4)**

**then fork[i].down();**

**fork[i+1].down();**

**else fork[0].down();**

**fork[4].down();**

*eat;*

**fork[(i+1) mod 5].up();**

**fork[i].up();**

## **Solution 2** (*odd and even philosophers behave differently*)

**Array [1..5] of semaphores: fork = [1, 1, 1, 1, 1];**

**Philosopher i:**

**Repeat**

*think;*

**if (i mod 2 = 0)**

**then fork[i].down();**

**fork[(i+1) mod 5].down();**

**else fork[(i+1) mod 5].down();**

**fork[i].down();**

*eat;*

**fork[(i+1) mod 5].up();**

**fork[i].up();**

## **Solution 3** (*allow at most 4 philosophers at a time sitting at the table*)

**Array [1..5] of semaphores: fork = [1, 1, 1, 1, 1];**

**semaphore: table = 4**

**Philosopher i:**

**Repeat**

*think;*

**table.down();**

**fork[i].down();**

**fork[(i+1) mod 5].down();**

*eat;*

**fork[(i+1) mod 5].up();**

**fork[i].up();**

**table.up()**



# Monitor-based Solution to Dining Philosophers

- Key insight: pick up 2 chopsticks only if both are free
  - this avoids deadlock
  - reword insight: a philosopher moves to his/her eating state only if both neighbors are not in their eating states
    - thus, need to define a state for each philosopher
  - 2nd insight: if one of my neighbors is eating, and I'm hungry, ask them to signal() me when they're done
    - thus, states of each philosopher are: thinking, hungry, eating
    - thus, need condition variables to signal() waiting hungry philosopher(s)
  - Also, need to Pickup() and Putdown() chopsticks

# Monitor-based Solution to Dining Philosophers

- Some basic pseudo-code for monitor (we'll abbreviate DP for Dining Philosophers):
- Each philosopher  $i$  runs pseudo-code:

```
monitor DP {  
    status state[5];  
    condition self[5];  
    Pickup(int i);  
    Putdown(int i);  
}
```

```
DP.Pickup( $i$ );  
...  
DP.Putdown( $i$ );
```

# Monitor-based Solution to Dining Philosophers

- Full code for monitor solution (continued on next slide):

```
monitor DP {  
  status state[5];  
  condition self[5];
```

```
Pickup(int i) {
```

```
  state[i] = hungry;
```

```
  test(i);
```

```
  if(state[i]!=eating) self[i].wait;
```

```
}
```

- Pickup chopsticks

– indicate that I'm hungry

– set state to eating in test() only if my left and right neighbors are not eating

– if unable to eat, wait to be signalled

```
Putdown(int i) {
```

```
  state[i] = thinking;
```

```
  test((i+1)%5);
```

```
  test((i-1)%5);
```

```
}
```

- Put down chopsticks

– if right neighbor  $R=(i+1)\%5$  is hungry and both of R's neighbors are not eating, set R's state to eating and wake it up by signalling R's CV

... monitor code continued next slide ...

# Monitor-based Solution to Dining Philosophers

... monitor code continued from previous slide...

```
...
test(int i) {
    if (state[(i+1)%5] != eating &&
        state[(i-1)%5] != eating &&
        state[i] == hungry) {

        state[i] = eating;
        self[i].signal();
    }
}

init() {
    for i = 0 to 4
        state[i] = thinking;
}

} // end of monitor
```

- signal() has no effect during Pickup(), but is important to wake up waiting hungry philosophers during Putdown()
- Execution of Pickup(), Putdown() and test() are all mutually exclusive, i.e. only one at a time can be executing
- Verify that this monitor-based solution is
  - deadlock-free
  - mutually exclusive in that no 2 neighbors can eat simultaneously