

SAPIENZA

## **Registers with Operations**



Independently of the kind of loading/unloading, a register can provide functionalities (operations on the stored bits).

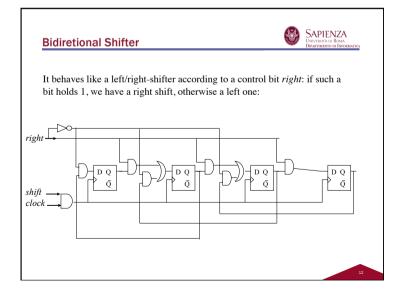
There are 2 fundamental kinds of operations that a register can do:

- Shift
- Count

In this class we shall present the shifters, in the next one the counters.

## Usage of shifters Multiplication and division by 2 is very easy and efficient with shifters: $00001000_2 \times 10_2 = 00010000_2$ $00001000_2 \div 10_2 = 00000100_2$ left-shift, 1 position right-shift, 1 position OBS.1: we loose the most/less signifying bit. OBS.2: we replace the lost bit with a 0 at the opposite side of the register.

## **Basic Shifters** Right shifter: At every descending wave front of the *clock* when *shift* holds 1, it shifts the content of the FF i in the FF i+1, for $i \in \{1, ..., n-1\}$ Q Q Left shifter: At every descending wave front of the clock when shift holds 1, it shifts the content of the FF i in the FF i-1, for $i \in \{2,...,n\}$ D Q D Q DQ Q Q Q REMARK: we loose the content of FF n (right shifter) or of the first FF (left shifter) The first FF (right shifter) and the FF n (left shifter) now contain 0.



## Shifter with bit holding



If we work with integers in 2-complement, shifting as seen before desn't work anymore to compute a division by 2:

$$\begin{aligned} &11111110_{2\text{compl}} = -2_{10} & &11111111_{2\text{compl}} = -1_{10} \\ &111111110_{2\text{compl}} \div 10_2 = 111111111_{2\text{compl}} \end{aligned}$$

By contrast, performing a right shift of 111111110  $_{\rm 2compl}$   $\,$  would give us 011111111  $_{\rm Ca2}$  = 127  $_{\rm 10}!!$ 

So, when right shifting numbers in 2-complement we have to hold the most signifying bit, in the sense that we don't have to always put it at 0 but we have to keep the previous bit.

Bidiretional Shifter with holding

SAPIENZA
BINGERISCHO RI BORGANICA

Shift
clock

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