



SAPIENZA  
UNIVERSITÀ DI ROMA

# Introduction to wireless systems

Wireless Systems & Advanced Topics in Networking

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Un. of Rome "La Sapienza"

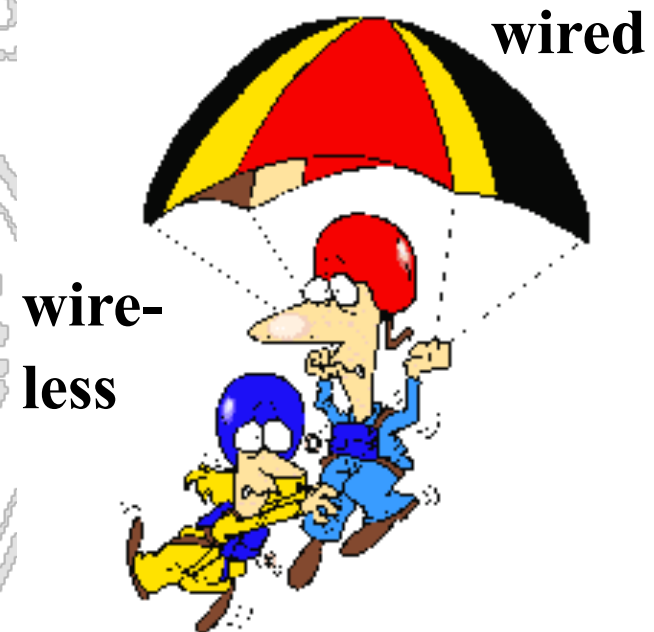
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- What is the difference with wired TCP/IP networks? Transmission medium..
  - Unique features of the transmission medium have a big impact on design (e.g., lower reliability, broadcast feature, hidden terminal problems demand for different solutions at the data link and transport layers)
  - Wireless systems have been designed to enable communication anywhere anytime
    - ✓ Mobility must therefore be supported
    - ✓ Portability comes with the fact depends rely on external sources of energy such as batteries to operate

## Wireless vs. Wired



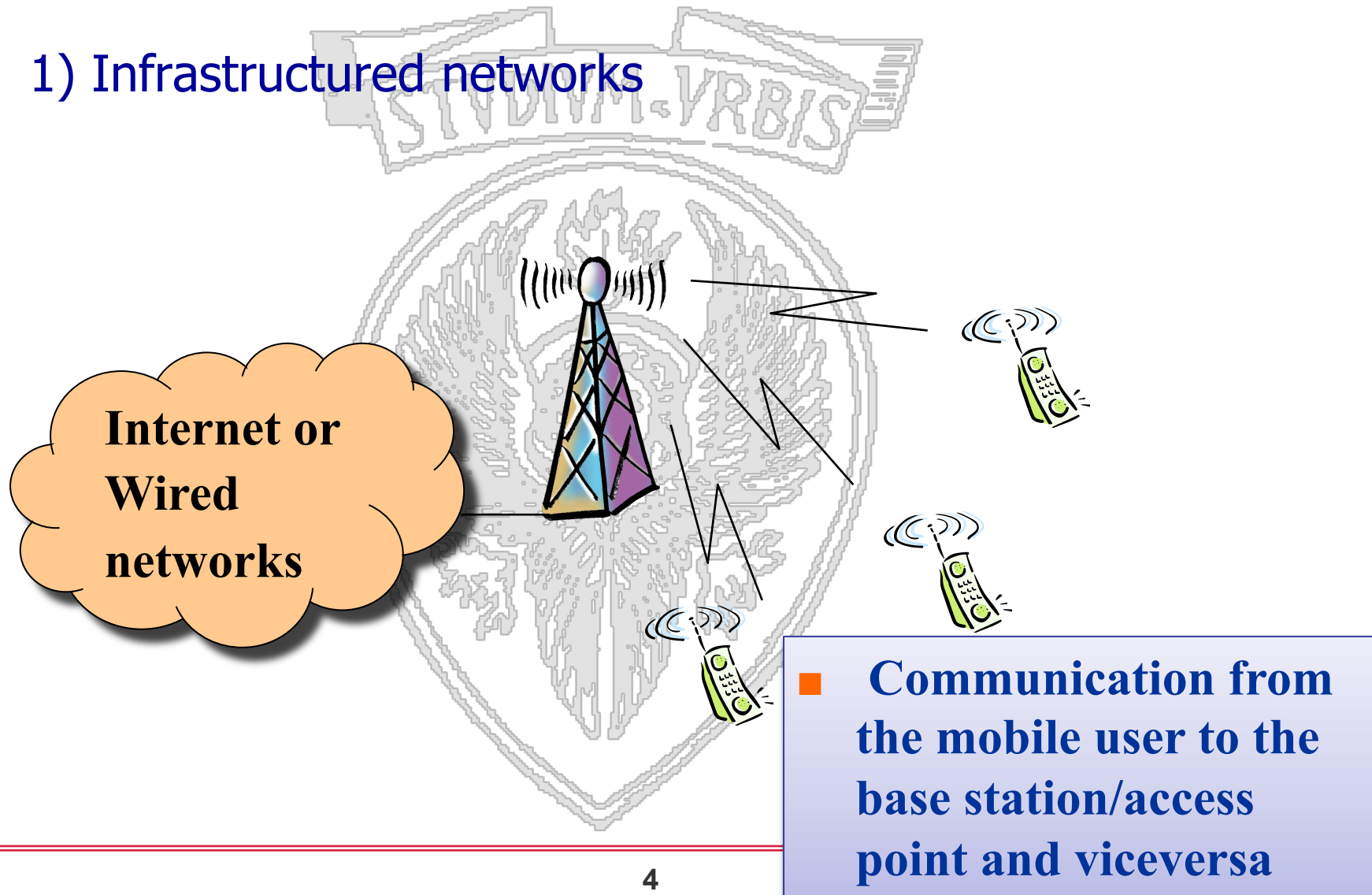
Reasons for wireless success:  
No cabling  
Anywhere/anytime  
Cost vs. performance



- Broadcast medium- each mobile device transmission is overheard by all other devices within the source 'transmission radius'
  - Poses security challenges
- Shared channel
  - Medium Access Control (MAC)
  - Limited resources must be shared among users
- High bit error rate
  - Error detection, correction & retransmission techniques needed for reliable communication
- Mobility must be supported at design stage
- Portable devices which rely on external sources of energy (batteries) to compute and communicate
  - Low power platforms and energy efficient protocols (green solutions)
  - Computation vs communication trade-offs (e.g., mobile device offloading)
  - Use of HW techniques to limit (wake up radio) energy consumption to the bare minimum and to harvest energy through renewal sources of energy (energy harvesting/scavenging)

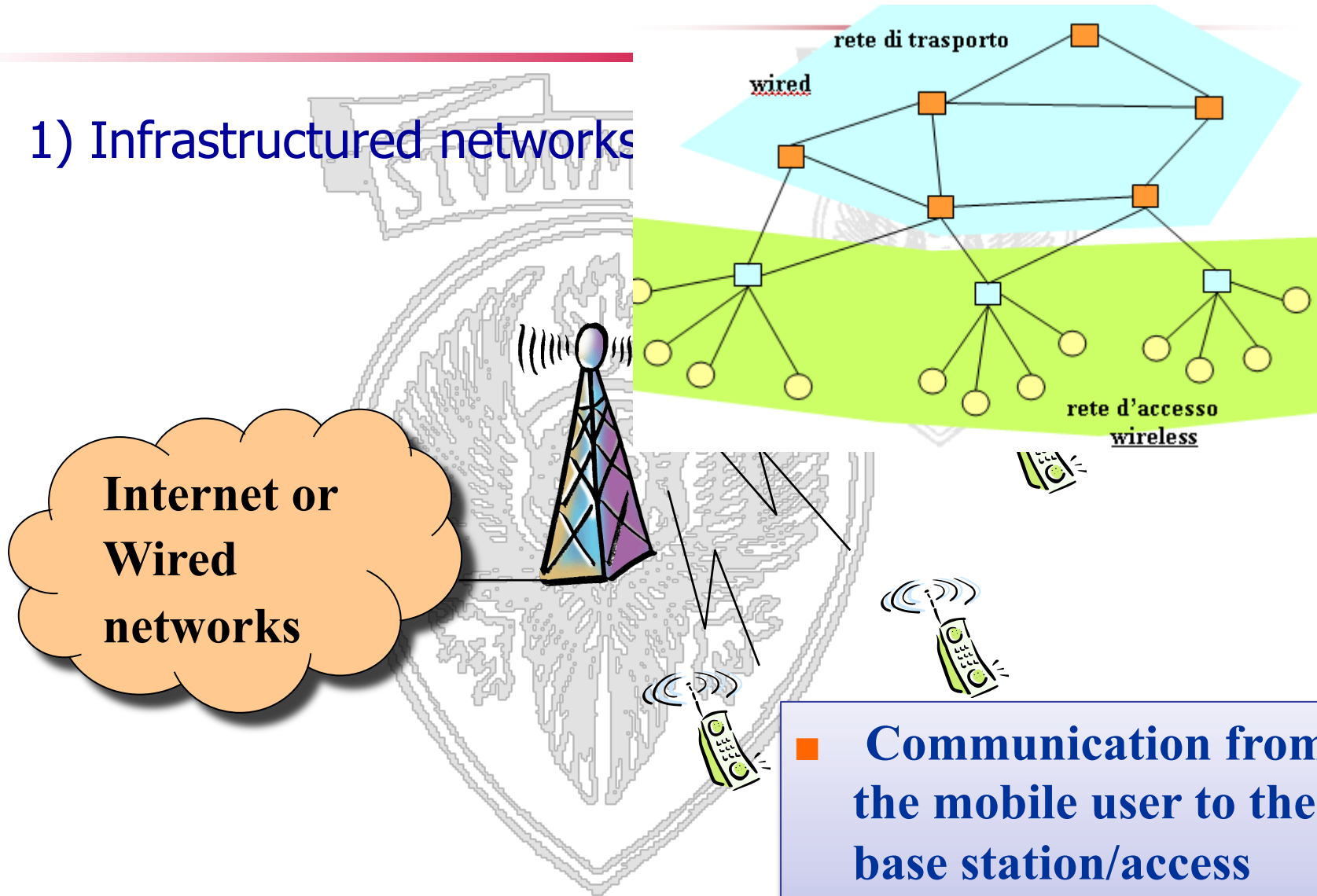


- 1) Infrastructured networks





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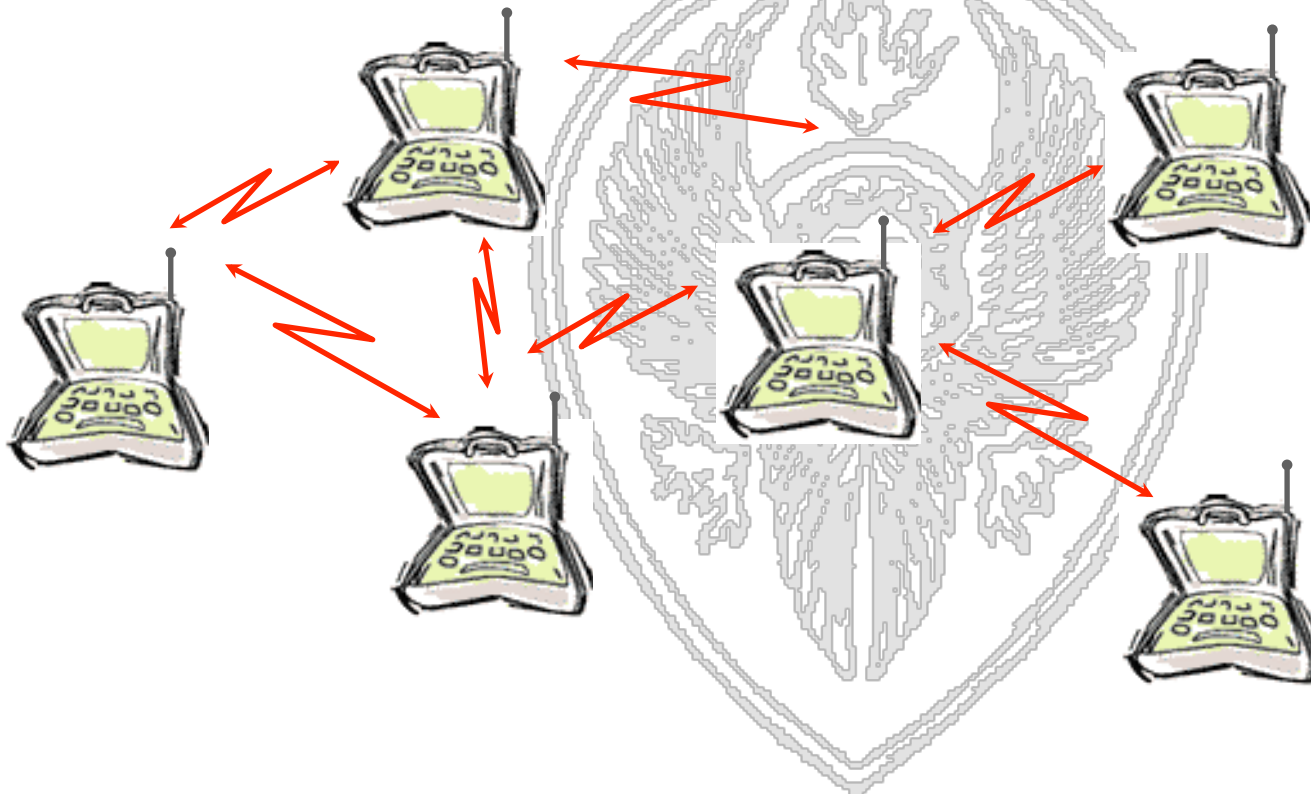


Internet or  
Wired  
networks

- Communication from the mobile user to the base station/access point and viceversa



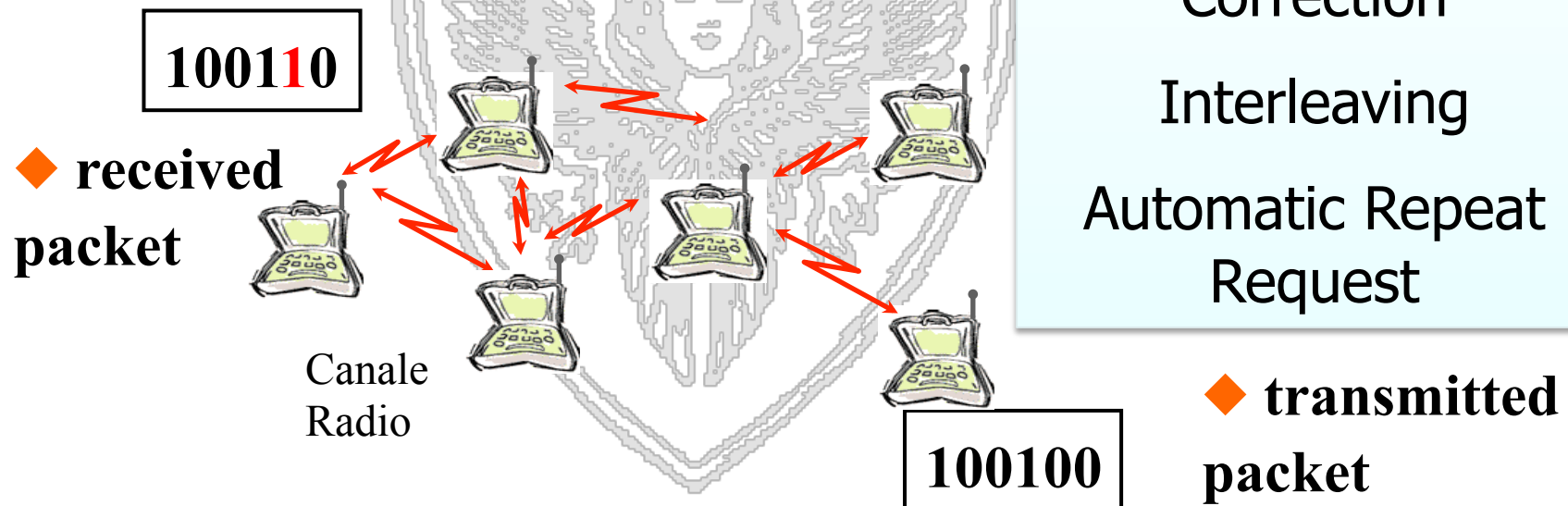
- 2) Ad Hoc Wireless Networks (wireless sensor networks, VANET, Mesh Networks,...)

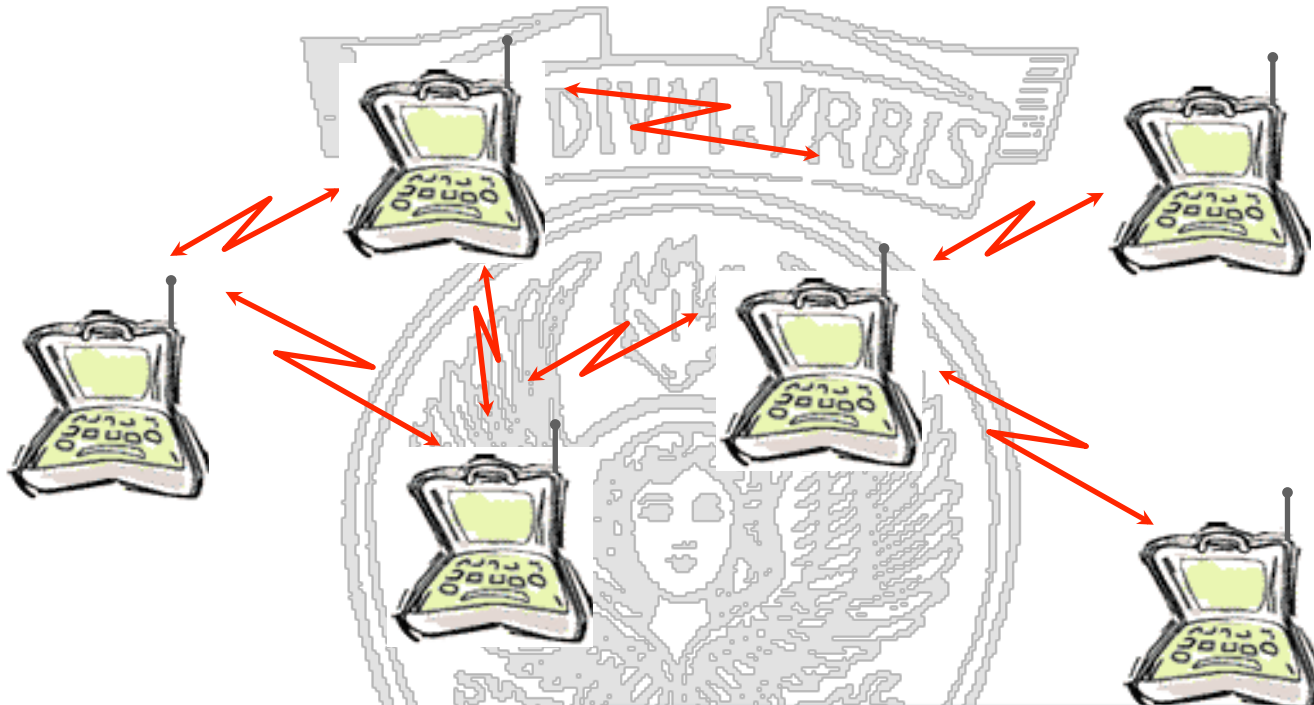


- Peer to peer communication
- Each node can act as source, destination of a packet or as relay



- **BER-Bit Error Rate can be significant compared to wired medium**
  - **Attenuation, reflection, diffraction of the signal + multipath fading**

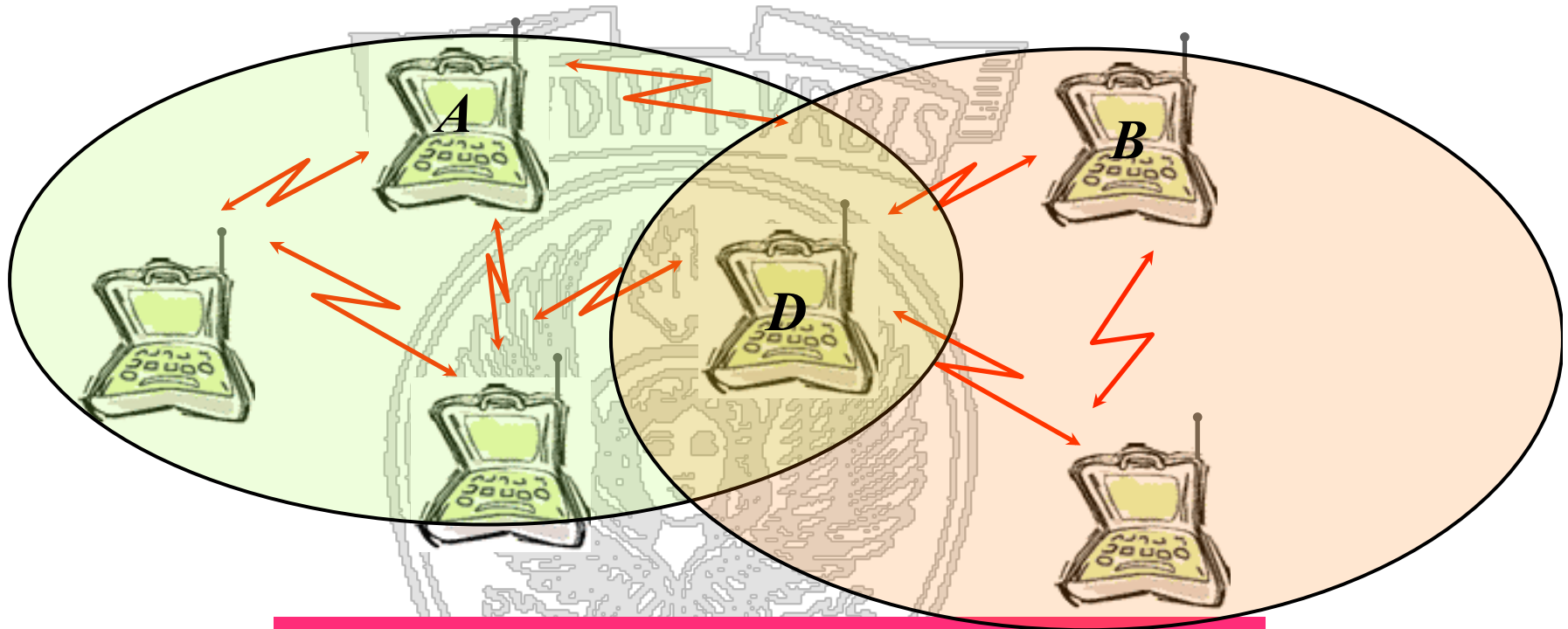




*Broadcast channel  
Channel access must be  
arbitrated by a medium  
access control protocol*

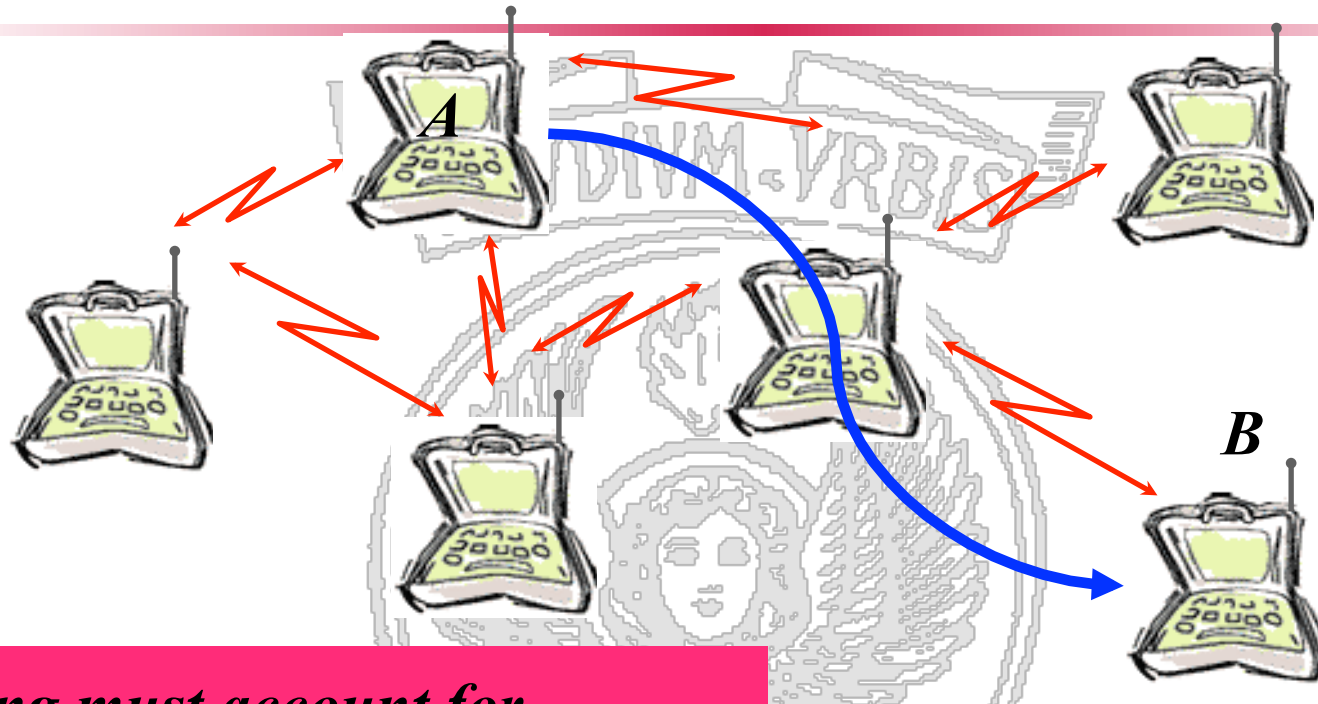
*Antenna cannot tx and rx  
simultaneously;  
Carrier sense is possible  
Collision detection based on ACK/NAK*





*Hidden terminal*

*If A and B transmit a packet a collision occurs in D. Neither A nor B can detect such collision directly.*

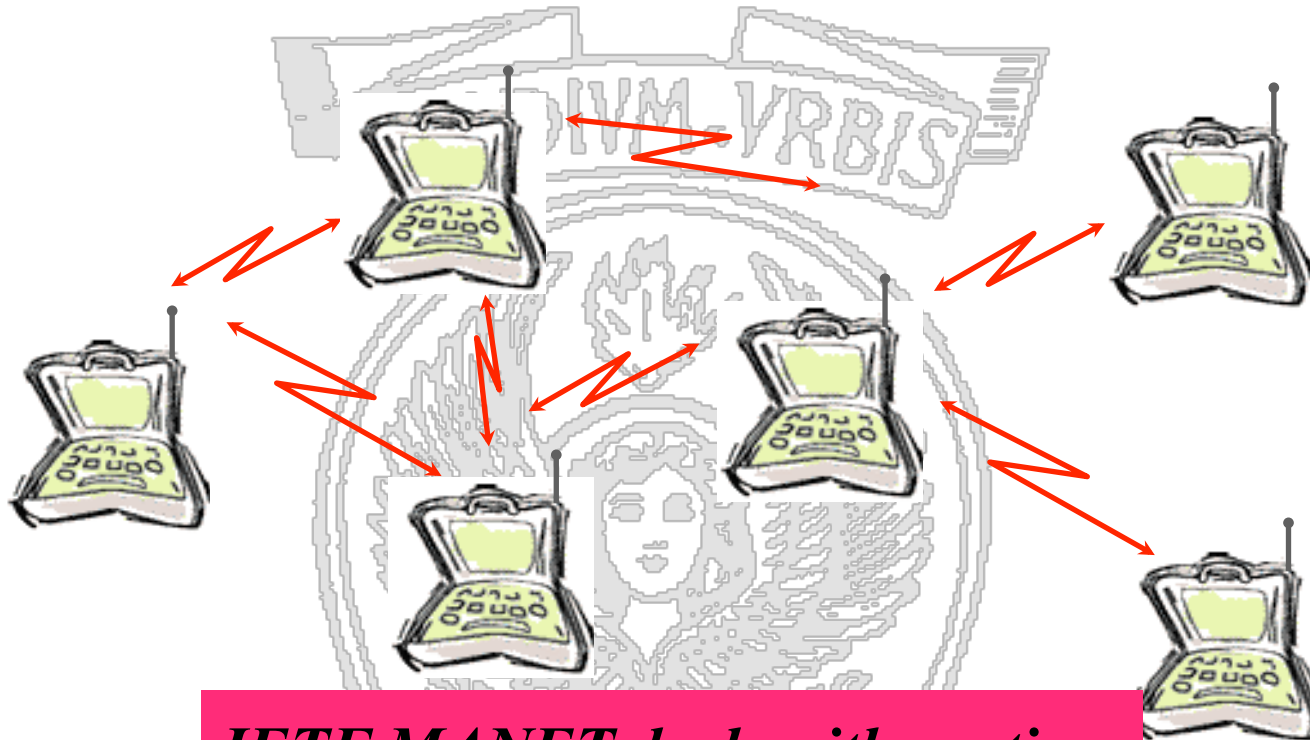


*Routing must account for mobility, dynamicity (e.g., due to varying link quality and nodes alternating between ON and OFF states) and different resources available at the nodes*

*What's the best path between A and B (routing)?*



# Ad Hoc Networks-Challenges



***IETF MANET deals with routing***  
***One of the peculiar aspects***  
***introduced by mobile peer to peer***  
***ad hoc networking***



# Ad Hoc Networks-Challenges



*Energy efficient solutions at all different layers of the protocol stack: power control, MAC, data link, routing, transport*

*How to route packets to minimize energy consumption accounting for the different node residual energy*



■ **Background needed to understand the motivations behind current wireless systems design**

■ **Wireless Channel & Signal Propagation – Basic Concepts**

■ **Energy efficient comms. techniques**

■ **Channel Access problems**

■ **Mobility management**

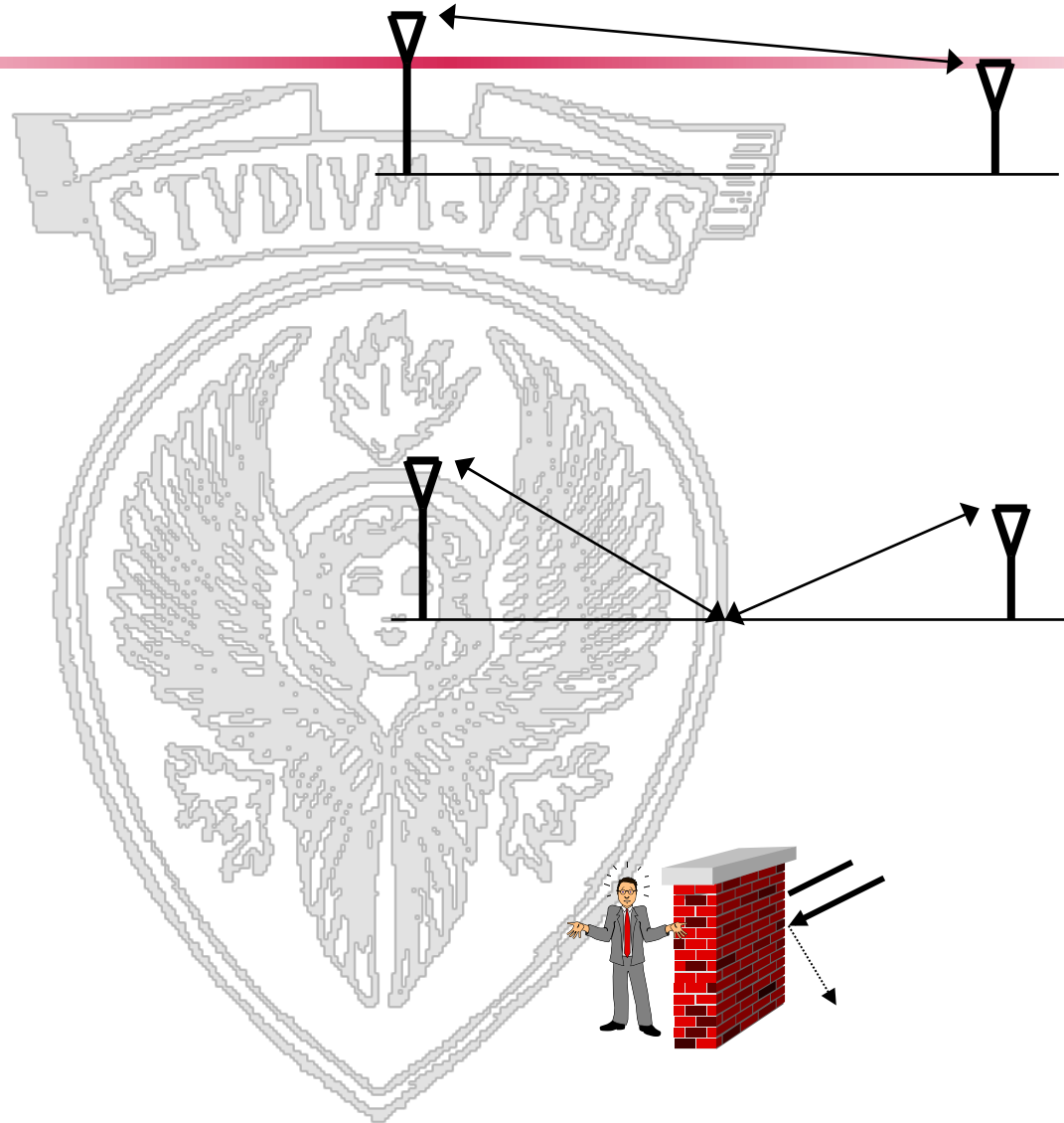


## ***Wireless channel***

- Much less reliable than wired channels
- While propagating the signal can face
  - Attenuation as function of the distance from transmitter and receiver
  - Attenuation due to obstacles
  - Propagation over multiple paths (resulting in multipath fading)



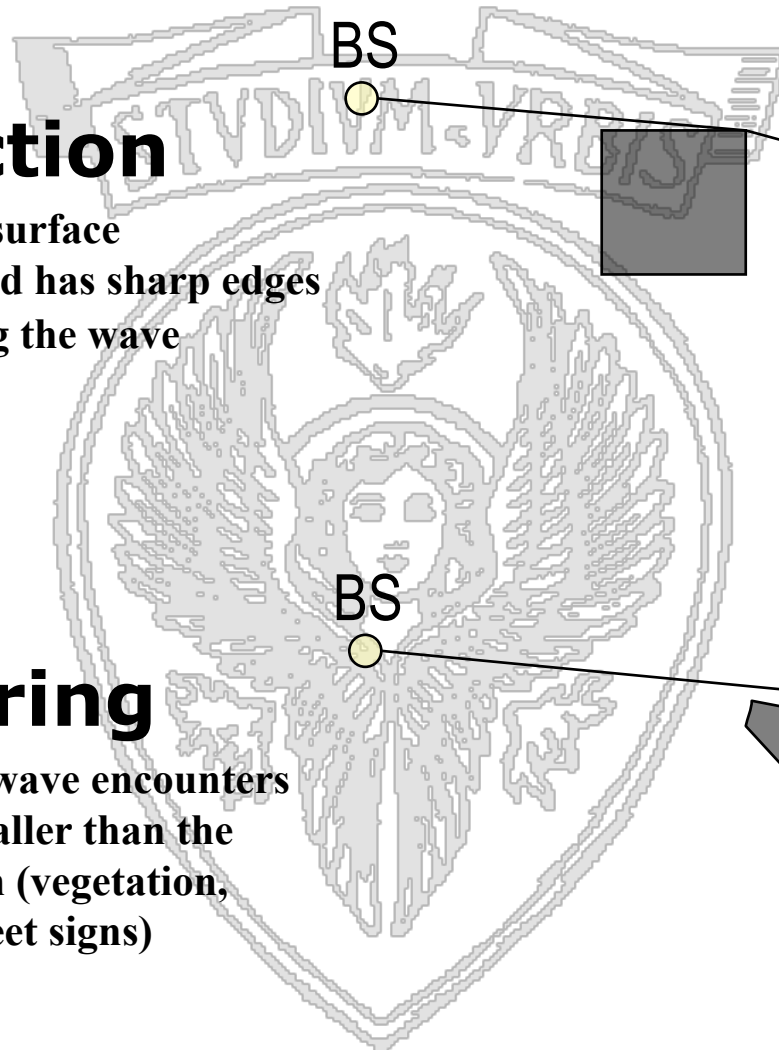
- Line of sight
- Reflection
- Shadowing





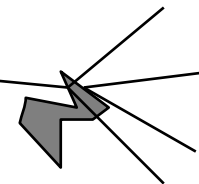
## → Diffraction

- When the surface encountered has sharp edges
- bending the wave



## → Scattering

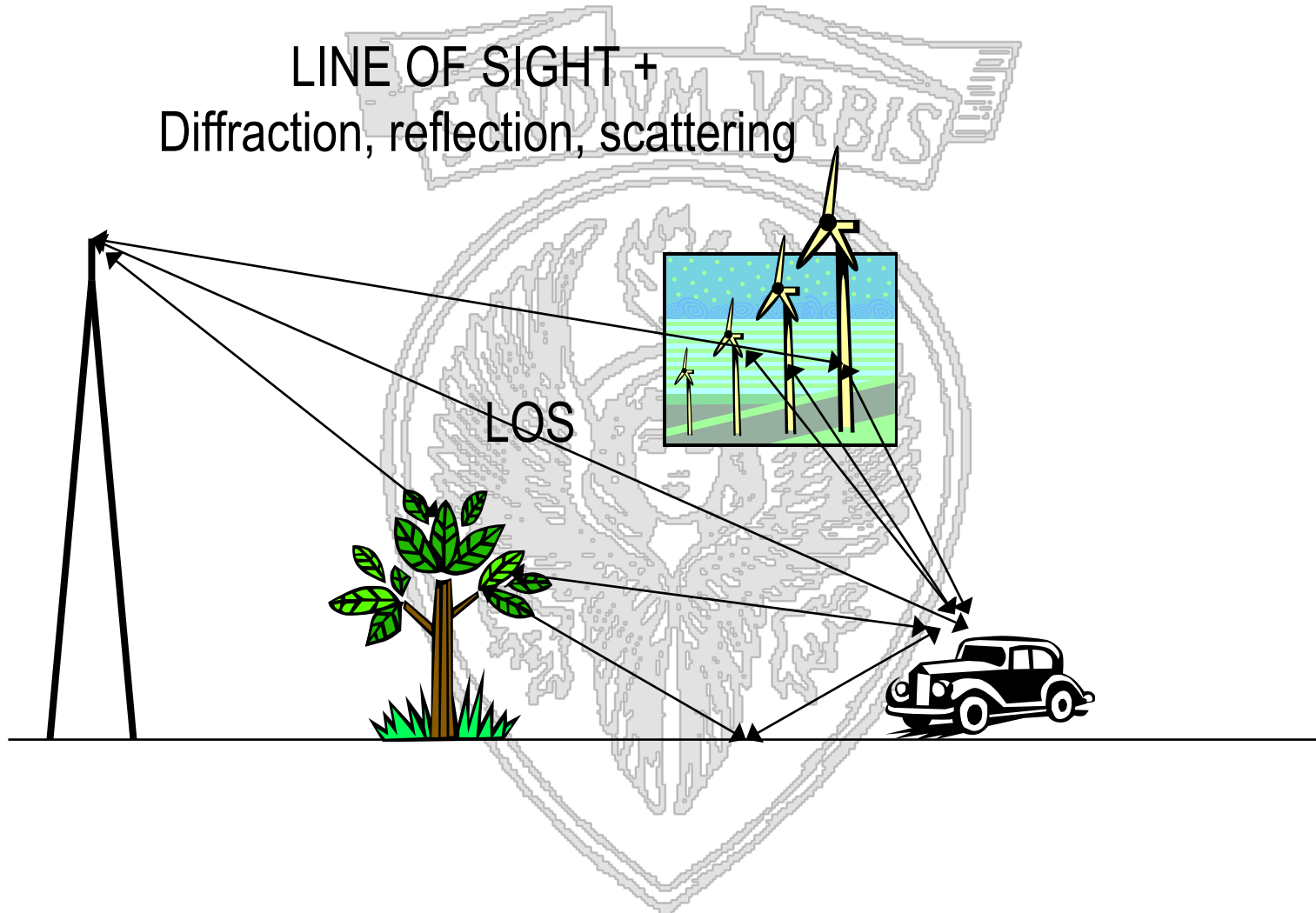
- When the wave encounters objects smaller than the wavelength (vegetation, clouds, street signs)







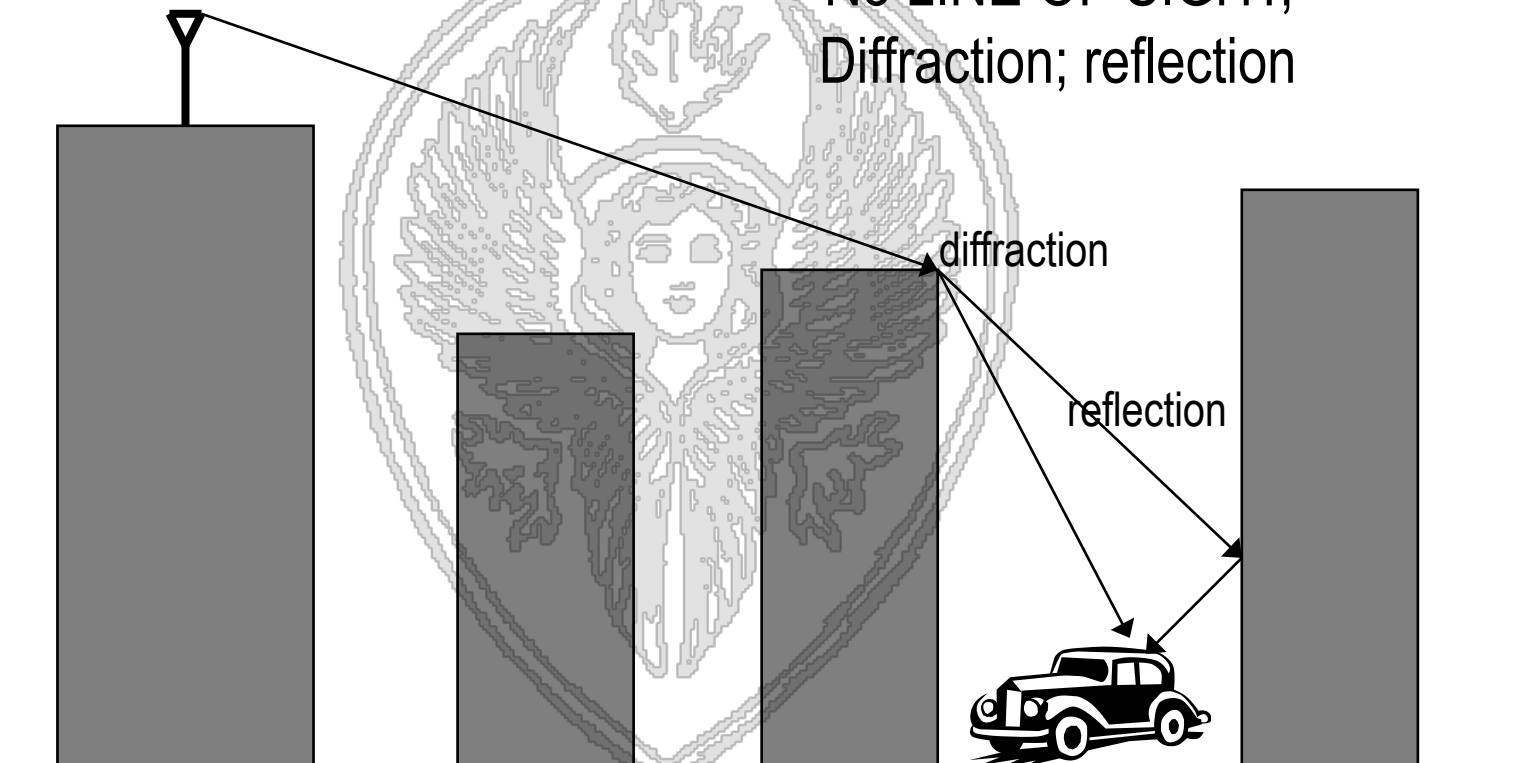
LINE OF SIGHT +  
Diffraction, reflection, scattering

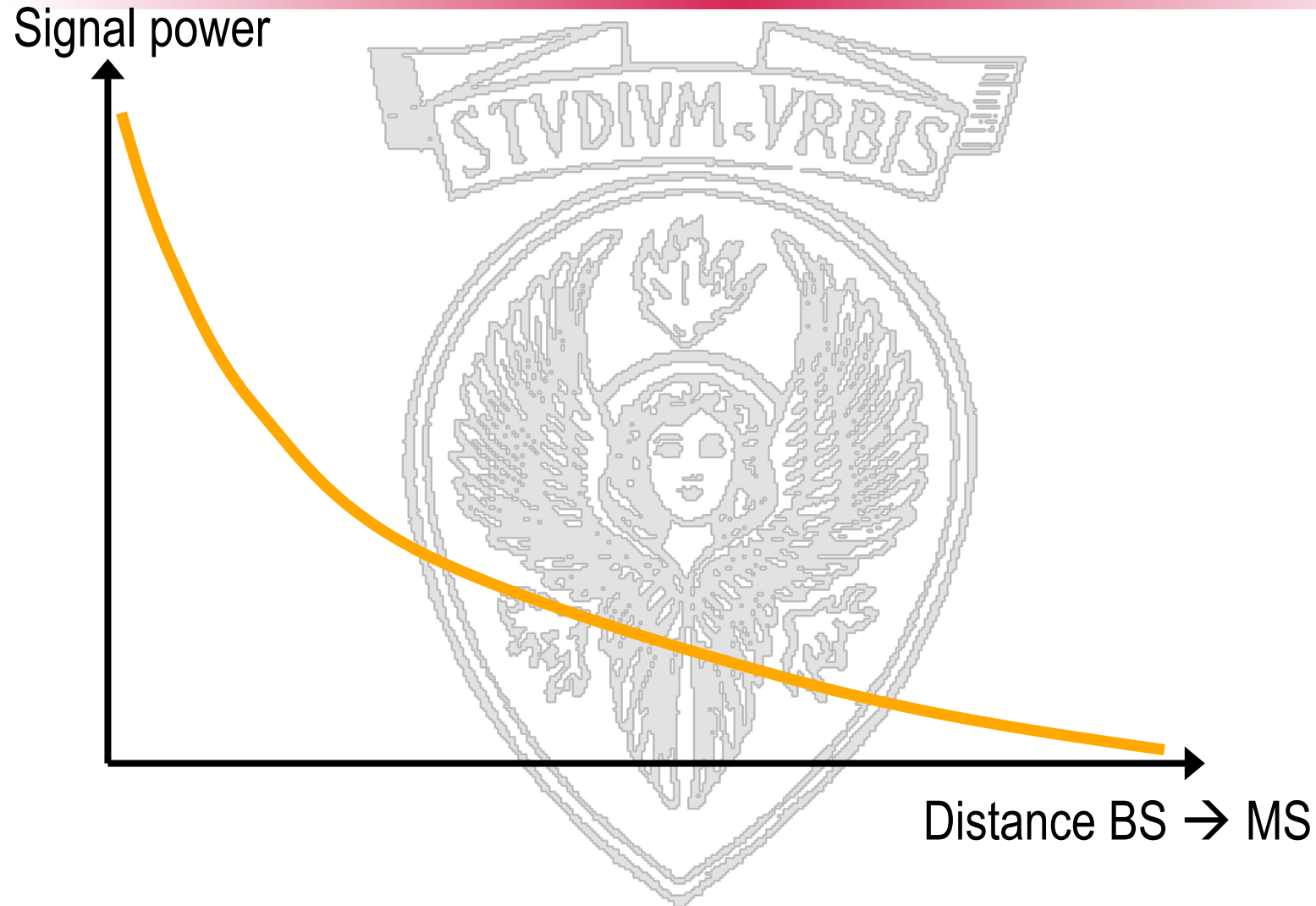


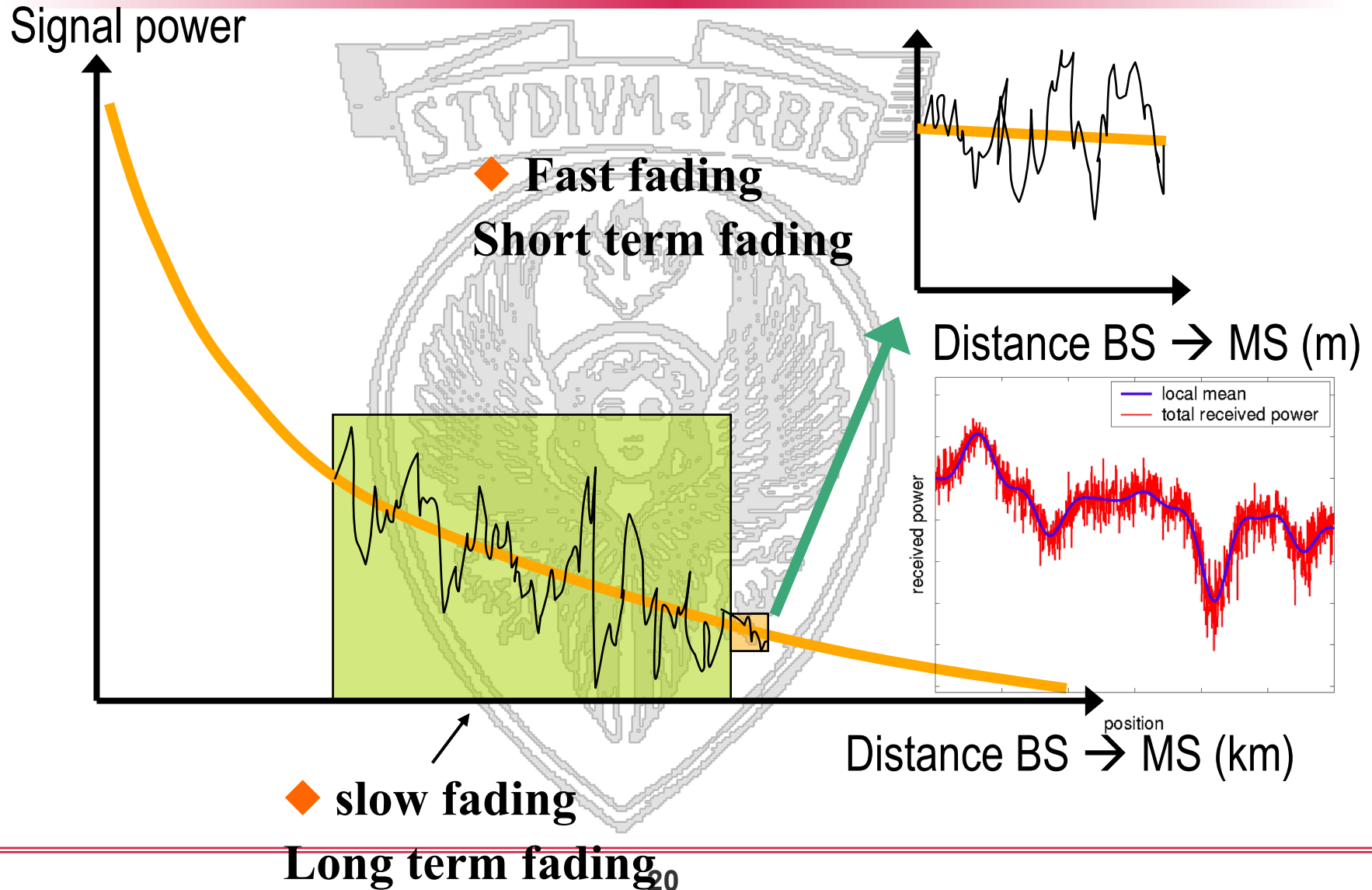


***LOS path non necessarily existing (and unique)***

Example: city with large buildings;  
No LINE OF SIGHT;  
Diffraction; reflection

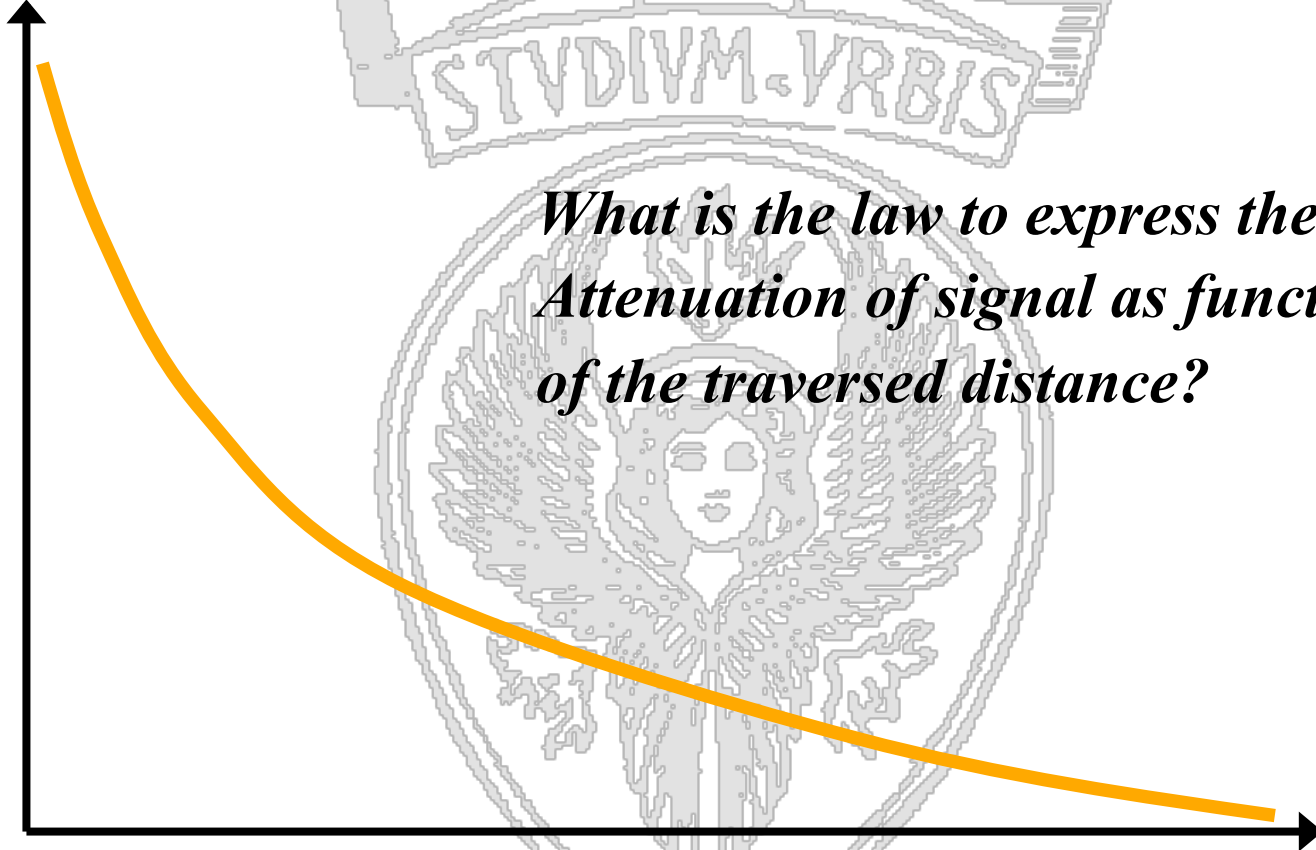








Signal power

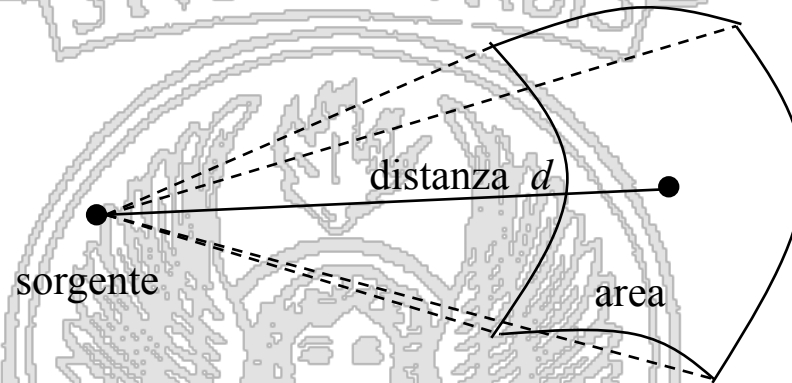


*What is the law to express the Attenuation of signal as function of the traversed distance?*

Distance BS → MS



- Assumption: A point source emits the signal uniformly in all directions (isotropic radiator) with a transmission power  $P_T$

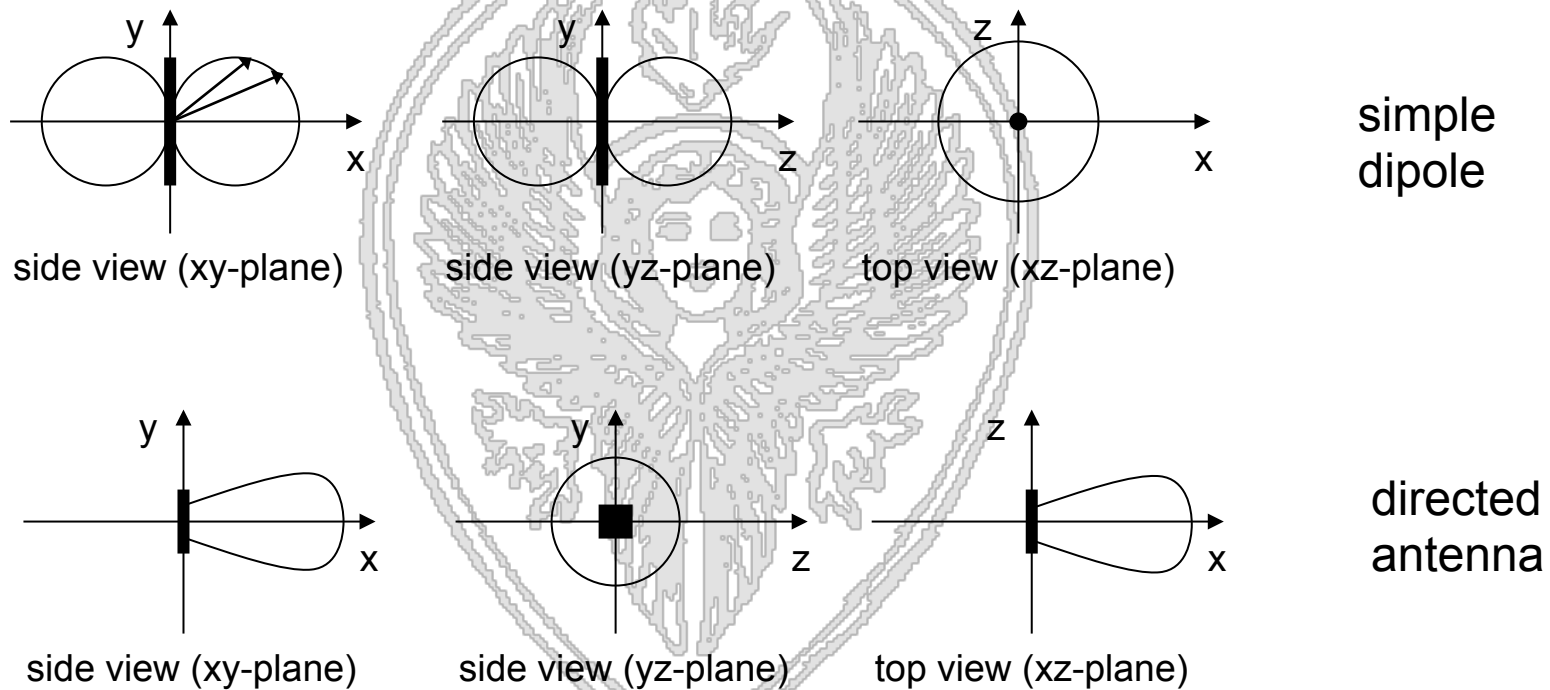


- The power density at distance  $d$  is equal to the ratio between the transmission power and the surface area of a sphere centered in the source and with radius  $d$ :

$$F = \frac{P_T}{4\pi d^2} \quad [\text{W/m}^2]$$



- Graphical representation of radiation properties of an antenna
- Depicted as two-dimensional cross section





- Isotropic antenna (idealized)
  - Radiates power equally in all directions (3D)
  - Real antennas always have directive effects (vertically and/or horizontally)
- Antenna gain
  - Power output, in a particular direction, compared to that produced in any direction by a perfect omni-directional antenna (isotropic antenna)

$$\text{Directivity } D = \frac{\text{power density at a distance } d \text{ in the direction of maximum radiation}}{\text{mean power density at a distance } d}$$

$$\text{Gain } G = \frac{\text{power density at a distance } d \text{ in the direction of maximum radiation}}{P_T / 4\pi d^2}$$

- Directional antennas “point” energy in a particular direction
  - Better received signal strength
  - Less interference to other receivers
  - More complex antennas





- Let  $g_T$  be the maximum transmission gain. The received power density in the direction of maximum radiation is given by:

$$F = \frac{P_T g_T}{4\pi d^2} \quad [\text{W/m}^2]$$

- $P_T g_T$  is the EIRP (Effective Isotropically Radiated Power) and represents the power at which an isotropic radiator should transmit to reach the same power density of the directional antenna at distance  $d$



- The power received by a receiver at distance  $d$  from the source, in case of no obstacles and LOS, can be expressed as:

Friis transmission equation

$$P_R = P_T g_T g_R \left( \frac{\lambda}{4\pi d} \right)^2 \frac{1}{L}$$

- where  $P_T$  is the transmitter radiated power,  $g_T$  and  $g_R$  the gains of the transmitter and receiver antennas,  $\lambda$  is the wavelength ( $c/f$ ) and  $d$  the distance between the transmitter and the receiver. Finally, parameter  $L > 1$  accounts for HW losses.



- Decibel (dB): expresses according to a logarithmic scale a ratio among powers

$$10\log(P_1 / P_2)$$

Log= base-10 logarithm

$P_A = 1$  Watt

$P_B = 1$  milliWatt

30 dB  $\rightarrow$   $P_A =$  three orders of magnitudes higher than  $P_B$

◆ **Gain of an antenna is expressed in dB**

3dB (una potenza e' il doppio dell'altra), 10dB  $\rightarrow$  un ordine di grandezza di differenza, 20dB due ordini di grandezza, 30db tre ordini di grandezza



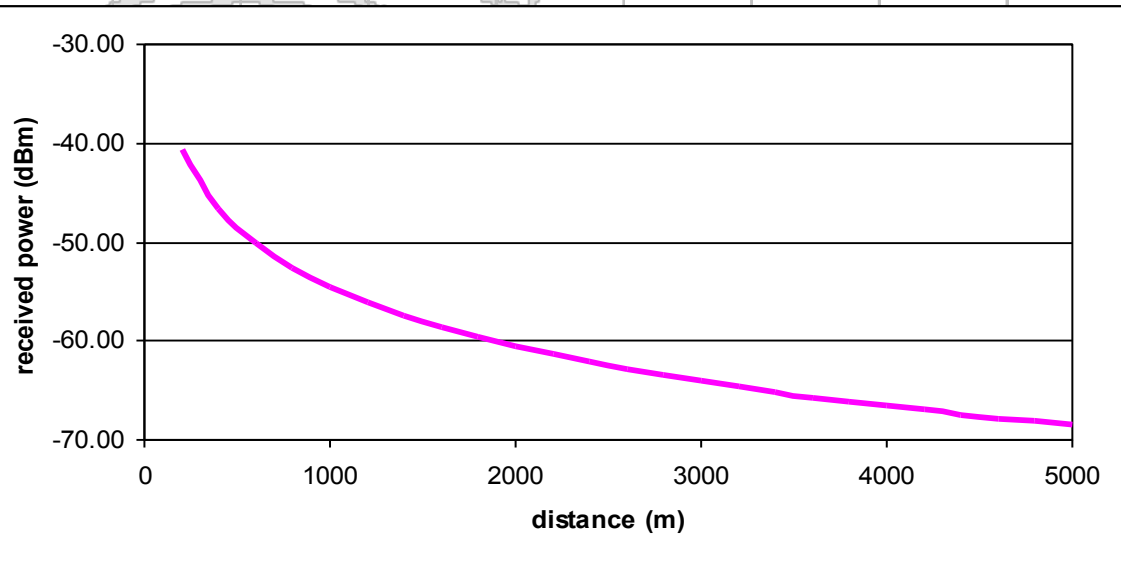
- dBm = ratio between the power and a nominal power of 1mW
  - Power in dBm =  $10 \log(\text{power}/1\text{mW})$
  - Power in dBW =  $10 \log(\text{power}/1\text{W})$

### Example

- $10 \text{ mW} = 10 \log_{10}(0.01/0.001) = 10 \text{ dBm}$
- $10 \text{ } \mu\text{W} = 10 \log_{10}(0.00001/0.001) = -20 \text{ dBm}$
- S/N ratio = -3dB  $\rightarrow$  S = circa 1/2 N
- Properties & conversions
  - $P(\text{dBm}) = 10 \log_{10}(P(\text{W}) / 1 \text{ mW}) = P(\text{dBW}) + 30 \text{ dBm}$
  - $(P1 * P2) (\text{dBm}) = P1 (\text{dBm}) + P2 (\text{dBW})$
  - $P1 * P2 (\text{dBm}) = 10 \log_{10}(P1(\text{W}) * P2 (\text{W}) / 0.001) = 10 \log_{10}(P1(\text{W}) / 0.001) + 10 \log_{10} P2(\text{W}) = P1 (\text{dBm}) + P2 (\text{dBW})$

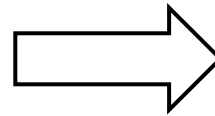


		normalized
frequency [MHz]	900	900000000
speed of light [K]	300000	300000000
lambda (m)		0.333333333
gain Tx	1	
Gain Rx	1	
Loss	1	
Ptx [W]	5	
distance (Km)	Prx W	Prx dBm
200	8.80E-08	-40.56
400	2.20E-08	-46.58
600	9.77E-09	-50.10
800	5.50E-09	-52.60
1000	3.52E-09	-54.54
1200	2.44E-09	-56.12
1400	1.79E-09	-57.46
1600	1.37E-09	-58.62
1800	1.09E-09	-59.64
2000	8.80E-10	-60.56
2200	7.27E-10	-61.39
2400	6.11E-10	-62.14
2600	5.20E-10	-62.84
2800	4.49E-10	-63.48
3000	3.91E-10	-64.08
3200	3.44E-10	-64.64
3400	3.04E-10	-65.17
3600	2.71E-10	-65.66
3800	2.44E-10	-66.13
4000	2.20E-10	-66.58
4200	1.99E-10	-67.00
4400	1.82E-10	-67.41
4600	1.66E-10	-67.79
4800	1.53E-10	-68.16
5000	1.41E-10	-68.52





- **Transmit power**
  - Measured in dBm
    - Es. 33 dBm
- **Receive Power**
  - Measured in dBm
    - Es. -10 dBm
- **Path Loss**
  - Transmit power / Receive power
  - Measured in dB
  - $\text{Loss (dB)} = \text{transmit (dBm)} - \text{receive (dBm)}$ 
    - Es. 43 dB = attenuation by factor 20.000



*If received power is below a given threshold info. cannot be correctly received*



- Path Loss

$$PL = \left( \frac{\lambda}{4\pi d} \right)^{-2}$$

- Represents free space path loss, due to geometric spreading.
- Other attenuations are introduced by obstacles (reflections, diffraction, scattering etc.) and by atmosphere absorption (depending on frequency, water vapor etc).



- Path Loss

$$PL = \left( \frac{\lambda}{4\pi d} \right)^{-2}$$

$$\frac{P_T}{P_R} = \frac{P_T}{P_T g_T g_R \left( \frac{\lambda}{4\pi d} \right)^2 \frac{1}{L}}$$

if

$$g_T, g_R, L = 1$$

$$\frac{P_T}{P_R} = \left( \frac{\lambda}{4\pi d} \right)^{-2}$$





Indicata anche con  $L_{free}$  nel seguito

$$PL(d)_{[dB]} = 10 \log_{10} \frac{P_t}{P_r} = 10 \log_{10} \left\{ \frac{L}{G_t G_r} \left( \frac{4\pi d}{\lambda} \right)^2 \right\} =$$

= 20

= 20

= 20

$$\frac{P_T}{P_R} = \frac{P_T}{P_T G_T G_R \left( \frac{\lambda}{4\pi d} \right)^2 \frac{1}{L}}$$

$$10 \log_{10} \frac{c}{4\pi} =$$

7.56



*Indicata anche con  $L_{free}$  nel seguito*

$$\begin{aligned} PL(d)_{[dB]} &= 10 \log_{10} \frac{P_t}{P_r} = 10 \log_{10} \left\{ \frac{L}{G_t G_r} \left( \frac{4\pi d}{\lambda} \right)^2 \right\} = \\ &= 20 \log_{10} d - 10 \log_{10} \frac{G_t G_r}{L} - 20 \log_{10} \frac{\lambda}{4\pi} = \\ &= 20 \log_{10} d + 20 \log_{10} f - 10 \log_{10} \frac{G_t G_r}{L} - 20 \log_{10} \frac{c}{4\pi} = \\ &= 20 \log_{10} d + 20 \log_{10} f - 10 \log_{10} \frac{G_t G_r}{L} - 147.56 \end{aligned}$$

*It depends on distance but also on frequency*



# Free space loss

$$L_{free}(d) = \left( \frac{\lambda}{4\pi d} \right)^{-2}$$

If  $L=1$ , gains=1

$$\begin{aligned} L_{free}(d)_{[dB]} &= -20 \log \left[ \frac{\lambda}{4\pi d} \right] = -20 \log \left[ \frac{c/f}{4\pi d} \right] \\ &= 20 \log_{10} d + 20 \log_{10} f - 147.56 \end{aligned}$$



- ***Further comments on Friis transmission equation***

$$P_R = P_T g_T g_R \left( \frac{\lambda}{4\pi d} \right)^2 \quad L=1$$

*If we know the value at a reference distance  $d_{ref}$ ...*

$$P_R(d) = P_R(d_{ref}) (d_{ref}/d)^2$$

$$P_R(d) \text{ dBm} = P_R(d_{ref}) \text{ dBm} + 20 \log_{10} (d_{ref}/d)$$



- $$P_R = P_T g_T g_R \left( \frac{\lambda}{4\pi d} \right)^2 L=1$$

*If we know the value at a reference distance  $d_{ref}$ ...*

$$P_R(d) = P_R(d_{ref}) (d_{ref}/d)^2$$

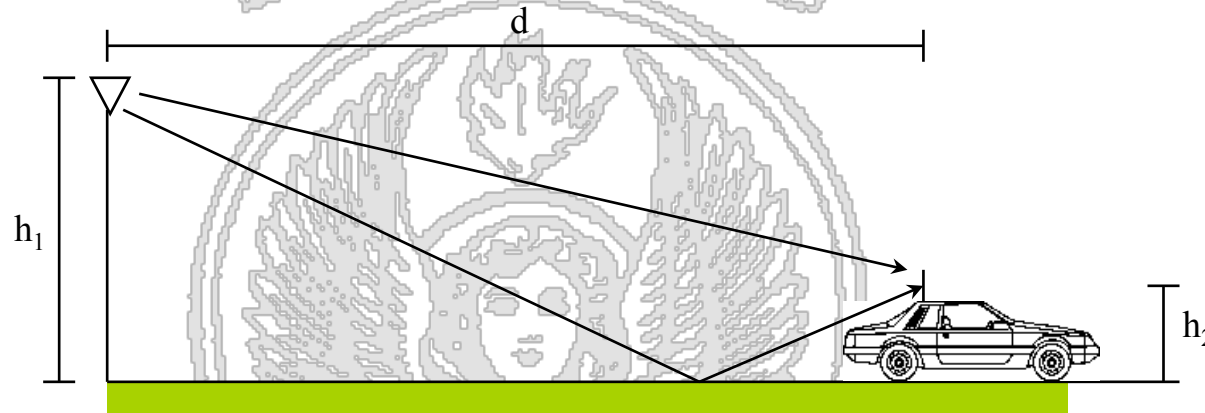
$$P_R(d) \text{ dBm} = P_R(d_{ref}) \text{ dBm} + 20 \log_{10} (d_{ref}/d)$$

$$\frac{P_R(d)}{P_R(d_{Ref})} = \frac{P_T g_T g_R \left( \frac{\lambda}{4\pi d} \right)^2 \frac{1}{L}}{P_T g_T g_R \left( \frac{\lambda}{4\pi d_{Ref}} \right)^2 \frac{1}{L}} = \left( \frac{d_{Ref}}{d} \right)^2$$



# Wireless channel- Two ray propagation model

- In case signal propagates over LOS and one reflected ray..



...the ratio between received power and transmitted power takes the following form:

$$\frac{P_R}{P_T} = g_R g_T \left( \frac{h_1 h_2}{d^2} \right)^2$$



- In the two ray model the received power decreases much faster with distance ( $\sim 1/d^4$ ) than in the free space model ( $\sim 1/d^2$ )
- Real life signal propagation is much more complex than what represented by the two models
- However, mean received power can be often expressed with a generalization of the Friis transmission equation (where the propagation coefficient is  $\eta$  instead of 2) . The propagation coefficient typically assumes values between 2 and 5 (as determined as a function of the propagation environment by empirical studies and models)

$$P_R = P_T g_T g_R \left( \frac{\lambda}{4\pi} \right)^2 \frac{1}{d^\eta}$$



# Extended formula

$$P_r(d)(dB) = 10 \log_{10} P_r(d_o) + 10\eta \log_{10} \left( \frac{d_o}{d} \right)$$

